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## Contents

OVERVIEW ..... 4
1 ENERGY RANGE ..... 4
2 OPTICAL ELEMENTS ..... 5
2.1 Preliminary optics layout before monochromator ..... 5
2.2 Multipole wiggler and primary aperture .....  .5
2.3 Collimating mirror. ..... 7
2.4 Monochromator crystals .....  .8
2.5 Monochromator beam offset ..... 9
2.6 Speed of monochromator ..... 10
2.7 Focusing mirror ..... 10
2.8 Piezo-elements for monochromator and focusing mirror ..... 11
2.9 Deflection sequence of mirrors and monochromator crystals ..... 11
3 POWER MANAGEMENT ..... 13
3.1 Power delivered from sources ..... 13
3.2 Power distribution on optical elements ..... 13
4 THERMOELASTIC CALCULATIONS BY FINITE ELEMENT ANALYSIS ..... 15
4.1 Collimating mirror. ..... 15
$4.2 \quad 1^{\text {st }}$ crystal ..... 16
5 RAY-TRACING ..... 19
5.1 Focus position ..... 19
5.2 Focus size at different sample positions ..... 19
5.3 Focus size for different angles of focusing mirror. ..... 20
5.4 Focusing at high energies ..... 20
5.5 Footprints on mirrors ..... 21
5.6 Influence of roughness on collimating properties ..... 21
5.7 Influence of fabrication slope errors on collimating properties and energy resolution ..... 21
5.8 Influence of fabrication slope errors on focusing properties ..... 23
5.9 Influence of thermal distortions of collimating mirror on focusing properties ..... 24
5.10 Influence of thermal distortions of $1^{\text {st }}$ crystal on focusing ..... 24
5.11 Dependence on wiggler position. ..... 25
6 SUMMARY OF OPTICS LAYOUT. ..... 25
6.1 Optics scheme ..... 25
6.2 Modes of operation and performance ..... 26
7 PRELIMINARY CONSIDERATIONS FOR DIAGNOSTICS ..... 26
8 PRELIMINARY CONSIDERATIONS FOR ENDSTATION ..... 26
REFERENCES ..... 27

## Overview

CELLS is a consortium created to construct and exploit the ALBA synchrotron facility to generate X rays for basic and applied research. The facility, which will be located near Barcelona, will include a $3-\mathrm{GeV}$ low-emittance storage ring able to run in top-up mode, which will feed an intense photon beam to a number of beamlines. These will be placed tangentially to the storage ring and hold the experimental facilities. One of the beamlines, XAS, to be implemented in the first phase of the project, will be devoted to $\underline{X}$-ray Absorption Spectroscopy. It will use hard X-rays generated by a multipole wiggler.

This document describes the beamline optics in the logical sequence of defining one element after another. First the optical properties are considered together with geometrical issues, and then the performance under high heat load is addressed. Focusing is analyzed by means of ray-tracing. Finally, some considerations are given for the diagnostics and the future experimental endstation.

To reduce the document size, only short comments are given for each considered issue. To facilitate reading and fast differentiate results from other background information, the following symbols are used throughout the text:
$\square$ - design choice;
(i) - input information;

- other (rejected) solutions;

Go - comments on the proposed solution

## 1 Energy range

(V) $\quad 2.4-63 \mathrm{keV}$.

The energy range of the beamline, ideally, should be as wide as possible to propose to the users maximum flexibility in selecting absorption edges. Physically, the usable energy range is limited by source properties, monochromatization approaches (crystal types, number of crystal pairs, geometry of the monochromator etc.), transmittivity of optical elements and by detection approaches (which also depend on the sample).

The lowest energy limit is determined by the largest Bragg angle reachable by commonly used monochromators. Here, the Si (111) crystals are assumed as the most usual ones for moderately hard x-rays. The routinely reachable angle $55.5^{\circ}$ corresponds to 2.4 keV (S K edge). To reach 2.1 keV ( P K -edge) is less trivial and needs the Bragg angle 70.3 . The preceding $K$-edge, of silicon, is not reachable with $\mathrm{Si}(111)$ crystals.

The upper energy limit is mostly determined by the magnetic field of the insertion device which, in turn, is limited by technological aspects (magnet type: permanent or superconducting; materials etc.). From the application point of view, this limit can be set based on the following. High-Z elements have too deep K shell to be accessible. Instead, more shallow $L_{3}$ edges can be considered. However, the energy range of an $L_{3}$ EXAFS spectrum is limited by the presence of the $L_{2}$ edge. For elements with $\mathrm{Z}<70$ this length is $<1 \mathrm{keV}$, the typical range of EXAFS spectra, thus $K$-edge is preferable. For Z>70 the Kedges are not generally required, from where the highest energy limit can be set as 63 keV .

## 2 Optical elements

### 2.1 Preliminary optics layout before monochromator

( multipole wiggler, absorption filters, collimating mirror with cut-off energies 7 and 20 keV .
Combining the requirements:

- high flux;
- large energy range;
- fast energy scanning capability,
the source type for the XAS beamline was selected as multipole wiggler. As a wiggler produces high heat load, the power must be effectively removed before the monochromator. Working at low energy, the unwanted high-energy photons can be removed by a mirror. Working at high energy, the unwanted low-energy photons can be removed by absorption filters.

The mirror before the monochromator has other two functions. It (i) collimates the beam for better energy resolution and (ii) removes high-energy photons which would come through the monochromator as high harmonics and spoil EXAFS. For $\operatorname{Si}(111)$ crystals, the first present harmonics are the third order ones. Therefore, starting at 2.4 keV , the first cutoff energy for the mirror must be ( $<3 \times 2.4 \mathrm{keV}$ ) about 7 keV , the next cut-off energy is $\sim 20 \mathrm{keV}$.

Now, the 3 energy ranges can be specified: 2.4-7 keV (with mirror, without filters), 7-20 keV (with mirror and filters), $20-\infty \mathrm{keV}$ (without mirror, with filters). The power outside these ranges is absorbed by the mirror and/or filters and the power inside these ranges is absorbed by the monochromator. As a criterion for determining the period of the wiggler it was considered that the power absorbed by the monochromator had to have an upper limit in order to prevent instabilities in the monochromatic beam.

Two collimation mirrors, one after the other, the 1st (removable from the beam) for high energies, the $2^{\text {nd }}$ for low energies [1].
$+: 1$ stripe on each mirror (at least on the low-energy one) $\Rightarrow$ narrow blank (cheaper), better cooling;
-: two benders and two vessels (much space, expensive).

### 2.2 Multipole wiggler and primary aperture

(i) The wiggler will be placed in a medium straight section, electron beam RMS size $=$ $132 \mathrm{~h} \times 7.7 \mathrm{v} \mu \mathrm{m}^{2}$, RMS divergence $=48.5 \mathrm{~h} \times 5.9 \mathrm{v} \mu \mathrm{rad}^{2}$.

| Parameter | Value |
| :--- | :--- |
| total length | 1 m |
| period | 80 mm |
| number of periods | 12 |
| minimum gap | 12.5 mm |
| $\mathrm{~K}_{\text {max }}$ | 13 |
| maximum field | 1.74 T |
| critical energy | 10.4 keV |
| total power | $1.7 \mathrm{~kW}(@ 100 \mathrm{~mA})$ |
|  | $4.3 \mathrm{~kW}(@ 250 \mathrm{~mA})$ |
| power in $1.5 \mathrm{~h} \times 0.25 \mathrm{v}$ | $0.5 \mathrm{~kW}(@ 100 \mathrm{~mA})$ |
| mrad $^{2}$ | $1.3 \mathrm{~kW} \mathrm{(@250mA)}$ |



Fig.1. Flux vs. energy at 100 mA .

The fixed aperture: $1.5 \mathrm{~h} \times 0.25 \mathrm{v} \mathrm{mrad}^{2}$. The photon source size is nearly independent of the photon energy and approximately equals $320 \mathrm{~h} \times 18 \mathrm{v} \mu \mathrm{m}^{2}$, FWHM.


The wiggler and the beam aperture were optimized [2] under the following constraints: (i) conventional (non-superconducting) technology, (ii) the power absorbed by the monochromator is below 700 W , (iii) the power absorbed by the mirror is below 1 kW , (iv) the ripple noise at lowest energy is below $10 \%$. The minimum magnetic gap is given as 12.5 mm .

The first constraint appears to be restrictive at high energies $(20-\infty \mathrm{keV})$. The flux there can be increased by elongating the magnetic period. If it is longer than the optimal one then the magnetic field becomes so high that superconducting technology is needed. This specifies the period.

If the total length is longer than the optimal one then the power load on the monochromator at low energies ( $7-20 \mathrm{keV}$ ) overcomes 700 W and the wiggler gap must be open wider. Under these constraints, a wiggler longer than 1 m will give a lower flux than the optimal one.

Also the incoming beamline aperture was optimized simultaneously. If the whole horizontal fan is collected, the power load at low energies is so high that the period must be decreased, which leads to a decrease of flux at high energies. The optimal horizontal
aperture is the one which does not require shortening of the period. The aperture can, in principle, be decreased further, accompanied with an increase of the total wiggler length. Although this could give a higher flux at high energies, the total power produced by the wiggler would increase linearly with the length. Therefore, this configuration would require opening the gap when working at low energies ( $7-20 \mathrm{keV}$ ) because of too high power on the mirror, which is rather ineffective: a long wiggler but a small aperture and an open gap.

The ripple structure on the low-energy flux curve may cause troubles in monochromator stabilization. Of course, this is not a random structure and a proper stabilization scheme must be able to cope with it. However, the stabilization scheme at a smaller ripple will be easier and more reliable. For a quantitative constraint, consider a detuned monochromator down to $50-70 \%$ of the maximum. Then the modulation $\alpha$ in height (ripple) brings to the angle modulation $\alpha \sigma$, where $\sigma$ is the rocking curve RMS width (@ 2.3 keV , $\sigma \sim 100 \mu \mathrm{rad}$ ). This angle modulation must be compared with the doubled slope error of the mirrors, $2 \times 5 \mu$ rad (if we take it conservatively). Thus, the ripple must be $r<\sim 10 \%$.

The storage ring is planned to be operated at a nominal current of 250 mA , and eventually it is foreseen to operate at a maximum of 400 mA . The power values above were calculated for the storage ring current 250 mA . For the maximum current, 400 mA , the wiggler gap will have to be opened (i.e the K value is reduced).

The flux was calculated by WS/XOP2.1 code [3] The photon source size and divergence were calculated by Shadow VUI, a part of XOP program [3].

### 2.3 Collimating mirror

$\square$ A mirror with 3 stripes: Rh and Pt at the sides and Si at the center with widths of 32 mm , optical length $93 \mathrm{~cm}, \Theta=4.7 \mathrm{mrad}$, with bender. For smaller pitch angles used at high energies, the optical length is up to 110 cm . The collimating properties are considered in the ray-tracing section 5 .

For the cut-off energies 7 and 20 keV , there exist 2 solutions for the mirror coatings: (i) two stripes, C and $\mathrm{Rh}(\mathrm{Ru}, \mathrm{Mo})$ at 2.8 mrad ; (ii) $\mathrm{Si}(\mathrm{Al}), \mathrm{Pt}(\mathrm{Au}, \mathrm{Ir})$, and (to cover the $\mathrm{Pt} L$ edges, see the reflectivity curves) $\mathrm{Rh}(\mathrm{Ru}, \mathrm{Mo})$ at 4.7 mrad . For a mirror at 17.5 m from the source and the vertical beam divergence 0.25 mrad the solution (i) results in a 1.6 -meterlong mirror; the solution (ii) results in a 93 -centimeter-long mirror.


Fig.4. Reflectivity of the three coatings at the incidence angle 4.7 mrad (solid lines) and at 2.4 mrad for Pt and at 3.3 mrad for Rh (dashes).

### 2.4 Monochromator crystals

(i) The position of the $1^{\text {st }}$ crystal: 19 m from the source, the maximum beam size: $28.5 \mathrm{~h} \times 5.0 \mathrm{v} \mathrm{mm}{ }^{2}$.

Double crystal monochromator, liquid $\mathrm{N}_{2}$ cooling for both crystals, two crystal pairs: $\mathrm{Si}(111)$ and $\mathrm{Si}(311)$, angle range from $55.5^{\circ}(2.4 \mathrm{keV})$ down to $3^{\circ}$, the downstream half of the $1^{\text {st }}$ crystal is $30-\mathrm{mm}$-long.

Two crystal pairs, $\operatorname{Si}(111)$ and $\operatorname{Si}(311)$, are foreseen to cover the energies starting from 2.4 keV . Liquid $\mathrm{N}_{2}$ cooling is required to achieve Darwin width limited energy resolution at high heat load conditions. The second crystals need to be cooled as well otherwise the difference in lattice parameters in the $1^{\text {st }}$ and the $2^{\text {nd }}$ crystals will break the fixed-exit conditions during a long energy scan (a small temperature difference due to high heat load can be neglected in view of nearly zero expansion coefficient of Si around $T \sim 125 \mathrm{~K}$ ).


Fig.5. Rocking curve width (dashes) and Darwin width (solid) for different Bragg reflexes on Si crystal. "Diffraction curve" means one-crystal rocking curve, or Darwin curve. "Rocking curve" means two-crystal rocking curve (with only one crystal rocking), obtained by convolution of the diffraction curve with itself. The rocking curves were calculated using XCrystal /XOP[3] at $T=77 \mathrm{~K}$.

The energy resolution can be found from Fig.5. The Bragg angle range and the crystal sizes can be estimated from the table below. For the angle range: $55.5^{\circ}-3^{\circ}$, for the longitudinal crystal size: $\sim 60 \mathrm{~mm}$.


The crystal thickness is determined by the cooling scheme and typically is $2-6 \mathrm{~cm}$.

A channel-cut monochromator. Disadvantages: not as large angle range, more glitches, variable exit height.
$\mathrm{Si}(220)$ pair. Cheaper for long crystals but has (440) $\Rightarrow$ more frequent adjustment of the mirrors.
Variable-inclined crystals [4]:
+: one universal crystal pair; decrease of power density; effective slope errors are smaller -: difficult operation (?).

### 2.5 Monochromator beam offset

$\square$ The beam offset must be constant during a scan but may be different at low and high energies. A long $2^{\text {nd }}$ crystal instead of longitudinal translation is preferable. The height of the focusing mirror and the sample must be adjustable.


Fig.6. The geometry of a double crystal monochromator.

$$
\begin{aligned}
& h_{\min }=\frac{L}{2} \sin \theta_{\max }+\frac{h_{\text {beam }}}{2} \\
& g=\frac{h}{2 \cos \theta} \\
& t=\frac{h}{2 \sin \theta}
\end{aligned}
$$

$h_{\min }$ is the minimum beam offset that lets the beam through without shadowing.
$g_{\max }$ is the spacing at angle $\theta_{\max } ; g_{\text {min }}$ is the spacing at angle $\theta_{\text {min }}$.
$g_{\text {max }}-g_{\text {min }}$ is the perpendicular translation stroke.
$t_{\min }$ is the longitudinal shift at angle $\theta_{\max } ; t_{\max }$ is the longitudinal shift at angle $\theta_{\min }$.
$t_{\text {max }}-t_{\text {min }}$ is the longitudinal translation stroke.

| $\begin{aligned} & \prime L / 2 \\ & (\mathrm{~mm}) \end{aligned}$ | $\theta_{\max }=55.5^{\circ}$ |  |  |  |  |  |  |  | $\theta_{\text {max }}=70.3^{\circ}$ |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\left(\begin{array}{c} h \\ (\mathrm{~mm}) \end{array}\right.$ | $\begin{gathered} g_{\max } \\ (\mathrm{mm}) \end{gathered}$ | $\begin{gathered} g_{\text {max }}- \\ g_{\min } \\ (\mathrm{mm}) \end{gathered}$ | $\begin{gathered} t_{\min } \\ (\mathrm{mm}) \end{gathered}$ | $t_{\text {max }}-t_{\text {min }}(\mathrm{mm})$ |  |  |  | $\binom{h}{(\mathrm{~mm})}$ | $g_{\text {max }}$ <br> (mm) | $\begin{gathered} g_{\max } \\ g_{\min } \\ (\mathrm{mm}) \end{gathered}$ | $\begin{gathered} t_{\min } \\ (\mathrm{mm}) \end{gathered}$ | $t_{\text {max }}-t_{\text {min }}(\mathrm{mm})$ |  |  |  |
|  |  |  |  |  | $\begin{gathered} @ \theta_{\text {min }} \\ =8^{\circ} \end{gathered}$ | $\begin{gathered} @ \theta_{\text {min }} \\ =7^{\circ} \end{gathered}$ | $\begin{gathered} @ \theta_{\text {min }} \\ =6^{\circ} \\ \hline \end{gathered}$ | $\begin{gathered} @ \theta_{\text {min }} \\ =5^{\circ} \\ \hline \end{gathered}$ |  |  |  |  | $\begin{gathered} @ \theta_{\min } \\ =8^{\circ} \end{gathered}$ | $\begin{gathered} @ \theta_{\text {min }} \\ =7^{\circ} \end{gathered}$ | $\begin{gathered} @ \theta_{\text {min }} \\ =6^{\circ} \end{gathered}$ | $\begin{gathered} @ \theta_{\text {min }} \\ =5^{\circ} \\ \hline \end{gathered}$ |
| 5 | 6.87 | 6.07 | 2.63 | 4.17 | 20.5 | 24.0 | 28.7 | 35.2 | 7.46 | 11.1 | 7.33 | 3.96 | 22.8 | 26.6 | 31.7 | 38.8 |
| 10 | 11.0 | 9.70 | 4.21 | 6.67 | 32.8 | 38.4 | 45.9 | 56.4 | 12.2 | 18.0 | 12.0 | 6.46 | 37.2 | 43.4 | 51.7 | 63.3 |
| 15 | 15.1 | 13.3 | 5.78 | 9.17 | 45.1 | 52.8 | 63.1 | 77.5 | 16.9 | 25.0 | 16.6 | 8.96 | 51.7 | 60.3 | 71.7 | 87.8 |
| 20 | 19.2 | 17.0 | 7.36 | 11.7 | 57.4 | 67.2 | 80.3 | 98.7 | 21.6 | 32.0 | 21.2 | 11.5 | 66.1 | 77.1 | 91.8 | 12 |
| 25 | 23.4 | 20.6 | 8.94 | 14.2 | 69.7 | 81.6 | 97.5 | 120 | 26.3 | 39.0 | 25.8 | 14.0 | 80.5 | 93.9 | 112 | 137 |
| 30 | 27.5 | 24.3 | 10.5 | 16.7 | 82.0 | 96.0 | 115 | 141 | 31.0 | 46.0 | 30.5 | 16.5 | 94.9 | 111 | 132 | 161 |
| 35 | 31.6 | 27.9 | 12.1 | 19.2 | 94.3 | 110 | 132 | 162 | 35.7 | 53.0 | 35.1 | 19.0 | 109 | 128 | 152 | 186 |
| 40 | 35.7 | 31.5 | 13.7 | 21.7 | 107 | 125 | 149 | 183 | 40.4 | 59.9 | 39.7 | 21.5 | 124 | 144 | 172 | 210 |
| 45 | 39.8 | 35.2 | 15.2 | 42.2 | 119 | 139 | 166 | 204 | 45.1 | 66.9 | 44.4 | 24.0 | 138 | 161 | 192 | 235 |

From this table the translation stroke of the $2^{\text {nd }}$ crystal can be estimated. If the longitudinal translation $t$ is relatively short, a long $2^{\text {nd }}$ crystal can be used instead. For example, the fixed exit with crystals with ' $L / 2^{\prime}=30 \mathrm{~mm}$ within the energy range $2.4-65 \mathrm{keV}\left(55.5^{\circ}\right.$ for $\mathrm{Si}(111)$ down to $5^{\circ}$ for Si (333)) will demand a $141-\mathrm{mm}-l o n g t$ translation or at least a $170-$ mm-long $2^{\text {nd }}$ crystal. Thus, to use a reasonably short $2^{\text {nd }}$ crystal without longitudinal translation, the beam offset should not be constant within the full energy range but rather adjustable when going from the lowest to the highest energies.

### 2.6 Speed of monochromator

( The desired angular speed is $2 \%$. As this is hardly available with existing monochromators, a dedicated quick-scan monochromator is preferred for quick acquisitions. A space for it will be reserved.

Possible ways for fast acquisition:

1) Quick scan $=$ continuous movement of the monochromator;
2) Energy-dispersive XAFS experiments (EDXAFS) = using a polychromator with the sample in focus;
3) Piezo-QEXAFS $=$ tilt of the crystals by piezo-elements.

Drawbacks (corresponding to the acquisition techniques listed above):

1) relatively slow;
2) a) almost impossible to measure intensity before the sample at the same time with the transmitted beam $\Rightarrow$ (very big) problems with the normalization of absorption spectra. This problem was solved by scanning a slit over the beam fan after the polychromator (i.e. sequential data acquisition, known as Turbo-XAFS [10]);
b) the sample must be highly uniform, otherwise rays of different energies 'see' different sample.
3) not fixed-exit $\Rightarrow$ short range (or else the beam height must be corrected, also with piezos, by a downstream mirror or by adjusting the sample height).
Comparison of acquisition time, for 1 keV -long scan at energy 10 keV (i.e. $\sim 1^{\circ}$ angle range with $\operatorname{Si}(111)$ ):
4) Quick scan $\sim 10$ s at $X 1$ beamline at Hasylab;
5) Turbo-XAFS $\sim 0.5 \mathrm{~s}[10]$;
6) Piezo-QEXAFS: $\sim 0.05$ s but limited to $\sim 100 \mathrm{eV}[11]$ so that the speed is about the same as for 2 ). axis angular speed $\quad 1 \%(0.5 \mathrm{sec})=2 \%$ sec slew scan ( $1^{\circ} / \mathrm{sec}$ is available by Accel and Cinel)
2nd crystal translation speed $\quad 0.1 \mathrm{~mm} / \mathrm{sec}$ (@ 9 keV )
Notice that the fastest angular motion is needed when the translation motion is slow and vice versa.

### 2.7 Focusing mirror

$\square$ Two side-by-side toroid mirrors, one with bender, coated by Pt, optical length $1.3 \mathrm{~m}, \Theta=2.4$ mrad; the other without bender, coated by Rh , optical length $1 \mathrm{~m}, \Theta=4.7 \mathrm{mrad}$. The focusing properties are considered in the ray-tracing section $\underline{5}$.

In the former versions of the CDR , a single toroid coated by a $\mathrm{Rh} / \mathrm{Pt}$ bilayer (optical length 1.4 $\mathrm{m}, \Theta=3.7 \mathrm{mrad}$.) was planned, as first proposed in Ref. [7]. The reflectivity of such a bilayer is shown in Fig. 7 for different thicknesses of Rh layer (by MLayer/XOP2.1 code [3]).
(i) In a preliminary test of the bilayer mirror at BESSY ( $\mu$-Spot BAM beamline) visible steps at the Pt $L_{3}$-edge were found on the absorption coefficient measured in transmission mode. (ii) The pitch angle of such a mirror must be smaller than that of the collimating mirror, which would lead to the length 1.4 m (and some inconvenience with non-horizontal beam propagation at the experiment).
(iii) The focusing for a toroid is only possible at a unique pitch angle; hence the focusing down to sub-millimetre spot size with a bilayer-coated single toroid is only possible for energies up to 20 keV .
Therefore it was decided to use two toroid mirrors.


Fig.7. Reflectivity of a bilayer structure Rh over Pt. With the thickness of $\mathrm{Rh}>5 \mathrm{~nm}$, the variation of flux at the $\mathrm{Pt} L_{3}$-edge is $<1 \%$.

Sagittally-bent $2^{\text {nd }}$ crystal:

+ : independent of mirror's pitch angle (cut-off energy can be adjusted independently);
+ : shorter beamline ( $3: 1$ relative the $2^{\text {nd }}$ crystal): 25.3 m vs. 33.6 m needed for mirror focusing.
-: Sensitive to vibrations and clamping; difficult to cool with $\mathrm{LN}_{2}$.
-: Spoiled energy resolution;
- : A number of bend/pitch/yaw/pitch iterations are required at each energy point $\Rightarrow 2.5 \mathrm{~s}$ dead-time [5];
-: The increase in curvature during bending results in a small change in the separation between the first and second crystals, and hence exit beam height [5] (alternatively, the source-to-crystal distance can be adjusted [6]);
-: "A significant drawback of the current system is that the usual method of detuning the crystals is ineffective for the reduction of harmonic contamination" [6].


### 2.8 Piezo-elements for monochromator and focusing mirror

 A piezo actuator for the focusing mirror (or a motor-driven fine tuning).
$G \int$ According to [12], whether $1^{\text {st }}$ or $2^{\text {nd }}$ crystal is rocked, the spectrum is splitted into two components which are also shifted from the nominal energy; in the case of piezo on the $2^{\text {nd }}$ crystal one of the two components remains unshifted, therefore rocking the second crystal gives a less distorted energy spectrum.

A rationale to put it onto the $1^{\text {st }}$ crystal: better for an unstable beam but this would complicate excessively the cooling design.

After detuning a crystal by $5-50 \mu \mathrm{rad}$, the focus (at 14.6 m away) is shifted by $0.15-1.5$ mm . This can be corrected by the focusing mirror pitch angle using a piezo actuator or a motor-driven fine tuning.

### 2.9 Deflection sequence of mirrors and monochromator crystals

(i) At high energies the mirrors will still be used (see the ray-tracing section 5 ): at energies 14 35 keV with the pitch angle 2.4 mrad , and at energies $>30 \mathrm{keV}$ with the pitch angle 1.2 mrad .
, «up-up-down-down» deflection sequence for collimation mirror - $1^{\text {st }}$ crystal $-2^{\text {nd }}$ crystal focusing mirror (or «down-down-up-up», depending on the "standard" deflection way of the monochromator by a given manufacturer). The height of the focusing mirror and of the sample must be adjustable.

Shown below are the cases of different deflection sequences for constant height at the focusing mirror and at the sample. The minimum beam offset at the sample or at the mirror in the sequence «down-up-down-up» is determined by the minimum monochromator offset at the highest energy (i.e. given by the beam size); in the sequence «up-up-down-down» it is determined by the minimum monochromator offset at the lowest energy (i.e. given by the crystal size).


Fig. 8. A comparison of mirror and crystal positions at different energies and deflection sequences.
In the «down-up-down-up» deflection sequence there is no place to put the Bremsstrahlung blocker $\Rightarrow$ experimental hutch is a white-beam hutch. Thus this sequence is rejected.

The «up-up-down-down» deflection sequence allows the insertion of Bremsstrahlung blocker. However, the translations at high energies are large. Thus the height at the focusing mirror and at the sample must be adjustable.

To be able to insert a $50-\mathrm{mm}$-thick Bremsstrahlung blocker (the actual dimensions will be given by radiation safety personnel), the monochromator offset must be (i) $>15 \mathrm{~mm}$ when using the collimating mirror at 1.2 mrad (energy setup for $E>30 \mathrm{keV}$ ); (ii) $>6 \mathrm{~mm}$ when using the collimating mirror at 2.4 mrad (energy setup for $14<E<35 \mathrm{keV}$ ); (iii) at 4.7 mrad there are no restrictions on the smallest monochromator offset besides that coming from the vertical beam size.

## 3 Power management

(i) The storage ring is planned to be operated at a nominal current of 250 mA , although in the future it is foreseen to operate at a maximum of 400 mA . For the current up to 250 mA the gap of the wiggler will be closed down to the minimum size of 12.5 mm ; at a higher current the gap will be opened (the K value will be smaller) to prevent excessive heat load. However, the hypothetical operation with the closed gap at 400 mA is also considered below.

### 3.1 Power delivered from sources

$\square$ The power values were obtained by integrating the flux calculated by WS/XOP2.1 and BM/XOP2.1 codes [3].

| Source | K |  |  |  | P total (W) |  |  |  | P through aperture ${ }^{* *)}$ (W) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $100$ | $250$ | $400$ | $\begin{array}{\|c\|} \hline 400 \mathrm{~mA}, \\ \left.\mathrm{MG}^{*}\right)^{2} \end{array}$ | $100$ | $250$ | $400$ | $\begin{gathered} 400 \mathrm{~mA}, \\ \mathrm{MG}^{*}{ }^{*} \end{gathered}$ | $100$ | $250$ | $400$ | $\begin{gathered} 400 \mathrm{~mA} \\ \left.\mathrm{MG}^{*}\right) \end{gathered}$ |
| MPW | 12.976 | 12.976 | 9.328 | 12.976 | 1718 | 4295 | 3551 | 6872 | 515 | 1287 | 1452 | 2060 |
| BM |  |  |  |  |  |  |  |  | 17 | 42 |  | 68 |

${ }^{*}$ ) $\mathrm{MG}=$ minimum gap 12.5 mm
${ }^{* *)} 1.5 \mathrm{~h} \times 0.25 \mathrm{v} \mathrm{mrad}^{2}$

### 3.2 Power distribution on optical elements

(i) Materials considered so far as candidates for absorption filters:

|  | CVD diamond <br> www.cvd-diamond.com | Sigradur K |  | Sigradur G |
| :---: | :---: | :---: | :---: | :---: |
|  | www.htw-germany.com | Al |  |  |
| Density $\left(\mathrm{g} / \mathrm{cm}^{3}\right)$ | 3.52 | 1.54 | 1.42 | 2.7 |
| Thermal conductivity <br> $(\mathrm{W} / \mathrm{mK})$ | 2000 | 4.6 | 6.3 | 237 |
| T max | $\left.1500^{\circ} \mathrm{C}^{*}\right)$ | $1000^{\circ} \mathrm{C}$ | $3000^{\circ} \mathrm{C}$ | melting $660^{\circ} \mathrm{C}$ |
| Available dimensions | thickness $10-2000 \mu \mathrm{~m}$, <br> diameter up to 100 mm | thicknesses $0.5-6 \mathrm{~mm}$, <br> films: $60 \mu \mathrm{~m}, 100 \mu \mathrm{~m}$, <br> $140 \mu \mathrm{~m}$ and $180 \mu \mathrm{~m}$ | thicknesses <br> $0.5-6 \mathrm{~mm}$ | any |

${ }^{*)}$ graphitization: $700^{\circ} \mathrm{C}$ in an oxygen containing and $1500^{\circ} \mathrm{C}$ in an inert atmosphere
The power values were calculated by XPower/XOP2.1 code using the flux calculated by WS/XOP2.1 and BM/XOP2.1 code [3].


Fig.9. Flux before the monochromator for different combinations mirror+filter.

## $\nabla$

| Energy range (keV) | Absorption filter | Power absorbed in filter (W) |  |  |  | Mirror | Power absorbed by mirror (W) |  |  |  | Power transmitted to mono(W) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{gathered} @ 100 \\ \mathrm{~mA} \end{gathered}$ | $\begin{gathered} @ 250 \\ \mathrm{~mA} \end{gathered}$ | $\begin{gathered} @ 400 \\ \mathrm{~mA} \end{gathered}$ | $\begin{gathered} @ 400 \\ \mathrm{~mA}, \\ \left.\mathrm{MG}^{*}\right) \end{gathered}$ |  | $\begin{gathered} @ 100 \\ \mathrm{~mA} \end{gathered}$ | $\begin{gathered} @ 250 \\ \mathrm{~mA} \end{gathered}$ | $\begin{gathered} @ 400 \\ \mathrm{~mA} \end{gathered}$ | $\begin{gathered} @ 400 \\ \mathrm{~mA}, \\ \left.\mathrm{MG}^{*}\right) \\ \hline \end{gathered}$ | $\text { \| @ } 100$ | $\begin{gathered} @ 250 \\ \mathrm{~mA} \end{gathered}$ | $\left\|\begin{array}{c} @ 400 \\ \mathrm{~mA} \end{array}\right\|$ | $\begin{gathered} @ 400 \\ \mathrm{~mA}, \\ \left.\mathrm{MG}^{*}\right) \end{gathered}$ |
| <6 | - | - | - | - |  | Si | 402 | 1004 | 966 | 1608 | 113 | 283 | 486 | 452 |
|  | Be, 0.2 mm | 55 | 138 | 244 | 220 |  | 391 | 977 | 926 | 1564 | 69 | 172 | 282 | 276 |
| 6-14 | CVD-diamond, $57 \mu \mathrm{~m}$ | 78 | 196 | 341 | 312 | Rh | 247 | 618 | 469 | 988 | 189 | 473 | 643 | 756 |
|  | Sigradur K, $140 \mu \mathrm{~m}$ | 81 | 202 | 350 | 324 |  | 247 | 617 | 467 | 988 | 187 | 468 | 634 | 748 |
| 14-18 | CVD-diamond, 0.7 mm | 213 | 532 | 802 | 852 | Pt | 191 | 478 | 328 | 764 | 111 | 277 | 323 | 444 |
|  | Sigradur G, 1.75 mm | 213 | 533 | 803 | 852 |  | 192 | 478 | 327 | 768 | 110 | 276 | 321 | 440 |
|  | Al, 0.09 mm | 210 | 526 | 805 | 840 |  | 196 | 490 | 334 | 784 | 108 | 271 | 313 | 432 |
| >~18 | CVD-diamond, 1.5 mm | 275 | 687 | 976*** | $1100^{* *}$ | - | - | - | - | - | 240 | 600 | 476 | 960 |
|  | Sigradur G, 3.7 mm | 274 | 686 | 975**) | 1096 ${ }^{*}$ |  | - | - | - | - | 241 | 601 | 477 | 964 |
|  | $\mathrm{Al}, 0.2 \mathrm{~mm}$ | 269 | 672 | 976 ${ }^{\text {**) }}$ | 1076 |  | - | - | - | - | 246 | 615 | 476 | 984 |
| >~22 | CVD-diamond, 3.0 mm | 338 | 846 | $1133^{\text {***) }}$ | 1353 | - | - | - | - | - | 177 | 442 | 319 | 707 |
|  | Sigradur G, 7.5 mm | 339 | 848 | 1135*** | 1356 |  | - | - | - | - | 176 | 440 | 317 | 703 |
|  | $\mathrm{Al}, 0.5 \mathrm{~mm}$ | 339 | 848 | $1156{ }^{\text {ma/m }}$ | $1357^{\text {*** }}$ |  | - | - | - | - | 176 | 439 | 295 | 702 |

${ }^{*} \mathrm{MG}=$ minimum gap 12.5 mm .
${ }^{* *)}$ Mirror @ 4.7 mrad: Si, Rh and Pt stripes.
${ }^{* * *)}$ plus $\sim 50 \mathrm{~W}$ from BM.

4 attenuators are planned for different energy ranges. In going to higher energies, the attenuators will not be replaced but added one after another starting with the thinnest one. This will share the absorbed power approximately equally among the inserted filters. Each filter will then absorb $\sim 300 \mathrm{~W}$. The materials for the filters have not been decided yet.

## 4 Thermoelastic calculations by Finite Element Analysis

(i) The Finite Element Analysis (FEA) was performed by L. Nikitina and M.Quispe (CELLS, Engineering Division) using ANSYS code.

The FEA of the collimating mirror and of the $1^{\text {st }}$ monochromator crystal has been done. The absorption filters are to be considered in some weeks.

The influence of the thermal deformations on the optical properties is considered in the ray-tracing section $\underline{5}$.

### 4.1 Collimating mirror

(i) Power absorbed by the mirror was calculated by repetitive runs of WS/XOP2.1 code [3] for a small aperture translated over the beam footprint $1020 \times 28.5 \mathrm{~mm}^{2}$.


Fig.10. The power densities for one quarter of the footprint.
Total power absorbed at the different stripes: $\quad$ Si: $1005 \mathrm{~W}, \mathrm{Rh}: 555 \mathrm{~W}, \mathrm{Pt}: 494 \mathrm{~W}$
$\boxed{\text { The calculated deformations are smaller for the side-cooled silicon mirror than for the }}$ GlidCop directly-cooled mirror. The Si stripe should be positioned in the center. For side cooling, the copper cooling blocks must have the water tubes as close as possible to the mirror surface. Laminar water flow is sufficient.

The FEA results are provided as separate files in directory http://www.cells.es/Divisions/Experiments/XAS/

| file | mirror type | case |
| :--- | :---: | :--- |
| END_BL22OPFEA_ER_0001_v03.pdf | GlidCop, direct cooling | Si-stripe |
| END_BL22OPFEA_ER_0002_v03.pdf | GlidCop, direct cooling | Pt-stripe |
| END_BL22OPFEA_ER_0003_v03.pdf | Si, side cooling | Si-stripe |
| END_BL22OPFEA_ER_0004_v01.pdf | GlidCop, direct cooling | conceptual study of boundary conditions |
| END_BL22OPFEA_ER_0005_v01.pdf | Si, side cooling | Rh-stripe |
| END_BL22OPFEA_ER_0006_v01.pdf | Si, side cooling | Pt-stripe |
| END_BL22OPFEA_ER_0007_v01.pdf | Si, side cooling | preliminary studies of external cooling <br> for mirror (laminar and turbulent flow, <br> different stripe positioning, fine and <br> coarse heat application, number of <br> cooling tubes) |

Example: Si mirror with side cooling, Si stripe in the middle (DMC at 7 keV ).


Fig.11. The geometry of the mirror.


Fig.12. The surface temperature distribution.
$T_{\max }<48^{\circ} \mathrm{C}, \mathrm{d} z_{\max }=8.2 \mu \mathrm{~m}$. The deformation (shown in Fig. 13) consists of a global bending, that can be approximated by a circular cylinder shape of radius $R=19 \mathrm{~km}$, and a small bump on top of it. The global bending can be corrected by a bender. RMS slope error after correction for global circular bending $=3.4 \mu \mathrm{rad}$ :



Fig.14. The thermal slope error vs bending radius.

## $4.2 \quad 1^{\text {st }}$ crystal

Go $\mathrm{Si}(111)$ crystal. Dimensions: $60 \times 60 \times 110 \mathrm{~mm}^{3}$. Thermal conductance $6000 \mathrm{~W} / \mathrm{m}^{2} \mathrm{~K}$ for the liquid nitrogen - copper interface, $6000 \mathrm{~W} / \mathrm{m}^{2} \mathrm{~K}$ in sliding contact between copper and silicon, temperature dependent material properties taken from Ref. [8]. Liquid nitrogen temperature was taken to be 77 K (at atmospheric pressure) or 92 K (at $\sim 4 \mathrm{bar}$ ).

Three cases of power load were considered:

|  | description | $E, \theta_{\mathrm{B}}$ | footprint <br> $\left(\mathrm{mm}^{2}\right)$ | P abs (W) |
| :--- | :--- | :--- | :--- | :--- |
| case A | preliminary studies for surface and <br> volume absorption, differently <br> tabulated thermoconductivity <br> coefficients, etc. $\mathrm{T}_{\min }=77 \mathrm{~K}$. | 2.1 keV, <br> $70.3^{\circ}$ | $33.8 \mathrm{~h} \times 5.0 \mathrm{v}$ | 282 <br> at 250 mA |
| case B | the highest power density | 2.1 keV, <br> $70.3^{\circ}$ | $33.8 \mathrm{~h} \times 5.0 \mathrm{v}$ | 452 <br> at 400 mA |
| case C | the highest total power | $\sim 6 \mathrm{keV}$, <br> $20^{\circ}$ | $33.8 \mathrm{~h} \times 13.9 \mathrm{v}$ | 748 <br> at 400 mA and <br> minimum gap |



Fig.15. An example of the cooling scheme taken from Accel.


Fig.16. Case A. Volume power density absorbed in the $1^{\text {st }}$ crystal at different thickness.

Fig.17. Case A. Temperature distribution for surface heat absorption. Maximum surface power density $\sim 5 \mathrm{~W} / \mathrm{mm}^{2}$


Fig.18. Case A. Temperature distribution for volume heat absorption. Maximum volume power density $\sim 250 \mathrm{~W} / \mathrm{mm}^{3}$ in the $1^{\text {st }} 1-\mu \mathrm{m}$-thick layer.


The surface and the volume heat application give very close results when considering the first layer to be $10-\mu \mathrm{m}$ or- $\mu \mathrm{m}$-thick. Superficial absorption is assumed for further calculations.

Fig.19. Case A. Temperature distribution for surface heat absorption and one-half of the crystal thickness:


$$
T_{\max }=-173.6^{\circ} \mathrm{C}(99.6 \mathrm{~K})
$$

Results of thermoelastic calculations (see section $\underline{5.10}$ for ray-tracing)


## 5 Ray-tracing

(i) The ray-tracing was done using Shadow VUI/XOP2.1 code [3] which is a graphical user interface to Shadow2.3.0 [9]. For getting the beam images, 25000 rays were used. To calculate the FWHM sizes, 100 successive runs were accumulated. For all the beam images below, except the footprint pictures, the vertical and horizontal scales are always equal.

### 5.1 Focus position

(i) As found by MacDowell et al. [7], the optical system collimating mirror + toroid focusing mirror has a "magic" configuration at $2: 1$ horizontal demagnification which eliminates astigmatic coma.
( Horizontal demagnification for the focusing mirror 2:1=22.4m (focusing mirror to source) 11.2 m (sample to focusing mirror).

Beam image for two different toroids: Rh-coated at $\Theta_{\mathrm{CM}}=\Theta_{\mathrm{FM}}=4.7 \mathrm{mrad}$ and Pt-coated at $\Theta_{\mathrm{CM}}=\Theta_{\mathrm{FM}}=2.4$ mrad. Meridional radius $R$ and sagittal radius $\rho$ here are variable and depend on the focus position (first row, in meters). $R=2 q / \sin \Theta, \rho=2 p q \sin \Theta(p+q)$.

|  | 28.6 | 29.6 | 30.6 | 31.6 | 32.6 | 33.6 | 34.6 | 35.6 | 36.6 | 37.6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $2.4-15 \mathrm{keV} \text {, }$ <br> Rh-toroid |  |  |  |  |  | $206 \mathrm{~h} \times 56 \mathrm{v}$ $\mu \mathrm{m}^{2}$ FWHM |  |  |  |  |
|  |  | 1 | \% | $v$ | $\cdots$ | T | - | - |  |  |
| $\begin{gathered} \hline 14-35 \mathrm{keV}, \\ \text { Pt-toroid } \end{gathered}$ |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |

Demagnifications at 33.6 m : 22.4:11.2=2 in horizontal and 17.5:11.2=1.56 in vertical. The diffraction-limited imaging would give $160 \mathrm{~h} \times 11.5 \mathrm{v} \mu \mathrm{m}^{2}$.

### 5.2 Focus size at different sample positions


Scan of the sample position (in meters, first row) for the focus at 33.6 m .

|  | radii | 32.6 | 32.8 | 33.0 | 33.2 | 33.4 | 33.6 | 33.8 | 34.0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \hline 2.4-15 \\ \mathrm{keV}, \end{gathered}$ | $\begin{gathered} R=4766 \mathrm{~m} \\ \rho=70.2 \mathrm{~mm} \end{gathered}$ |  |  |  |  | $\cdots$ | $\cdots$ | - | $\cdots$ |
| Rh FM |  |  |  |  |  |  |  |  |  |
| $14-35$ | $R=9333 \mathrm{~m}$ |  |  |  |  | $\stackrel{1 \mathrm{~mm}}{\longrightarrow}$ |  |  |  |

Pt FM

### 5.3 Focus size for different angles of focusing mirror

Go Scan of the FM pitch angle (in mrad, bold font) for the focus at 33.6 m

| $2.4-15 \mathrm{keV}$, <br> Rh FM | $R=4766 \mathrm{~m}$ <br> $\rho=70.2 \mathrm{~mm}$ | $\mathbf{4 . 5}$ | $\mathbf{4 . 6}$ | 4.7 | 4.8 | 4.9 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $14-35 \mathrm{keV}$, <br> Pt FM | $R=9333 \mathrm{~m}$ <br> $\rho=35.8 \mathrm{~mm}$ | 2.2 | 2.3 | 2.4 | 2.5 |  |

### 5.4 Focusing at high energies

$\boxed{\square}$ Also at high energies the mirrors should be used to improve energy resolution and reduce the beam size. The Pt-toroid mirror needs a bender.

68
fixed sagittal radius $\rho_{0}=35.8 \mathrm{~mm}, E=50 \mathrm{keV}$ :

${ }^{*)}$ the source flux was calculated by WS/XOP, the transmittivity by Shadow VUI/XOP.

Without mirrors, energy resolution is much worse (example @ $E=50 \mathrm{keV}$ ):

|  | beam image at the sample | $\begin{gathered} \mathrm{d} E \\ (\mathrm{eV}) \\ \hline \end{gathered}$ | $\begin{gathered} \text { flux at sample }{ }^{*} \text { ) } \\ (\mathrm{ph} / \mathrm{s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: |
| without mirrors |  <br>  | 111 | $8 \cdot 10^{10}$ |
| without mirrors, with 0.5 mm vert. slits before DCM |  | 16.6 | $\begin{aligned} & 2 \cdot 10^{10} \\ & 3 \cdot 10^{9}(\text { with } 8 \mathrm{~mm} \\ & \text { horizontal slit) } \end{aligned}$ |
| with mirrors |  | 1.48 | $\begin{gathered} 3 \cdot 10^{10} \\ 1.4 \cdot 10^{10} \text { (with } 8 \mathrm{~mm} \end{gathered}$ horizontal slit) |

${ }^{\text {*) }}$ the source flux was calculated by WS/XOP, the transmittivity by Shadow VUI/XOP.
The reduction of the beam divergence with slits is, in principle, also sufficient for acceptable energy resolution, as the width of $K$-edges at $E \sim 50 \mathrm{keV}$ is $\sim 23 \mathrm{eV}$.

### 5.5 Footprints on mirrors

$\square$ The dimensions marked as $\nabla$ in the table below were selected for the mirrors and used in ray-tracing.
$\circlearrowleft \quad$ Intensity percentage collected by the four mirrors of different sizes.

| labels in | $\mathrm{Rh}\left(\Theta_{\mathrm{CM}}=\Theta_{\mathrm{FM}}=4.7 \mathrm{mrad}\right) @ 9 \mathrm{keV}$ | $\operatorname{Pt}\left(\Theta_{\mathrm{CM}}=\Theta_{\mathrm{FM}}=2.4 \mathrm{mrad}\right) @ 30 \mathrm{keV}$ |
| :---: | :---: | :---: |
| collimating mirror |  |  |
| focusing mirror |  |  |

### 5.6 Influence of roughness on collimating properties

$\checkmark$ The influence of roughness is negligible if the RMS roughness is below $10 \AA$.
Go Two different PSD functions (Power Spectral Density) were modelled:
a) Gaussian Power Spectrum with $\sigma_{x}=\sigma_{y}=100 \mathrm{~cm}^{-1}$;
b) from a profile with normal statistics and Gaussian correlation function with correlation length $50 \mu \mathrm{~m}$. $10 \AA$ rms roughness was assumed in both cases.

The resulted increase in focus size was $<3 \mu \mathrm{~m}$ in horizontal and $\sim 1 \mu \mathrm{~m}$ in vertical directions; the intensity loss was $<2 \%$.

### 5.7 Influence of fabrication slope errors on collimating properties and energy resolution

( $\quad 2.5-5 \mu \mathrm{rad} \mathrm{rms}$ slope error is acceptable for the collimating mirror.


Fig.21. The model surface used in raytracing to simulate the fabrication figure error. The period of the wave is 150 mm [13], the rms slope error was scaled as $0,2.5,5,10,25$ and $50 \mu \mathrm{rad}$.


The width of a K edge at energy $E$ can be roughly estimated as $2 \cdot 10^{-4} \cdot E$. Thus, the energy resolution must be $<1.2 \mathrm{eV}$ at $6 \mathrm{keV},<2.6 \mathrm{eV}$ at $13 \mathrm{keV},<6 \mathrm{eV}$ at $30 \mathrm{keV},<10 \mathrm{eV}$ at 50 keV . These requirements are all fulfilled with rms slope error $2.5 \mu \mathrm{rad}$ and partially fulfilled with rms slope error $5 \mu \mathrm{rad}$. The latter must be taken as the upper tolerable slope error.

### 5.8 Influence of fabrication slope errors on focusing properties

$\square$ As the slope errors on the focusing mirror do not spoil energy resolution, 5-10 $\mu \mathrm{rad} \mathrm{rms}$ meridional slope error is acceptable for the focusing mirror. The sagittal slope error may be as high as $1000 \mu \mathrm{rad}$, which is far above usual production values.

| 68 | rms meridiaonal slope error ( $\mu \mathrm{rad}$ ) | Rh-toroid $6 \mathrm{keV} \Theta=4.7 \mathrm{mrad}$ | Pt-toroid $30 \mathrm{keV} \Theta=2.4 \mathrm{mrad}$ | Pt-toroid $50 \mathrm{keV} \Theta=1.2 \mathrm{mrad}$ |
| :---: | :---: | :---: | :---: | :---: |
|  |  | 1 mm | 1 mm | 8 mm |
|  |  | $\begin{aligned} & 207 \times 56 \\ & 9 \cdot 10^{12} \\ & \hline \end{aligned}$ | $\begin{aligned} & 225 \times 56 \\ & 5 \cdot 10^{11} \\ & \hline \end{aligned}$ | $63$ $1.4 \cdot 10^{10}$ |
|  | 2.5 <br> FWHM size ( $\mu \mathrm{m}^{2}$ ) <br> flux at sample ( $\mathrm{ph} / \mathrm{s}$ ) | $\begin{gathered} 208 \times 183 \\ 9 \cdot 10^{12} \\ \hline \end{gathered}$ | $225 \times 187$ | $\begin{array}{r} 244 \\ \quad 1.4 \cdot 10^{10} \\ \hline \end{array}$ |
|  | 5 <br> FWHM size $\left(\mu \mathrm{m}^{2}\right)$ <br> flux at sample ( $\mathrm{ph} / \mathrm{s}$ ) | $\begin{gathered} 208 \times 338 \\ 9 \cdot 10^{12} \\ \hline \end{gathered}$ | $\begin{array}{r} 227 \times 342 \\ 5 \cdot 10^{11} \\ \hline \end{array}$ | $387 \quad 1.4 \cdot 10^{10}$ |
|  | FWHM size ( $\mu \mathrm{m}^{2}$ ) flux at sample ( $\mathrm{ph} / \mathrm{s}$ ) |  |  | $\begin{array}{r} 704 \\ \quad 1.4 \cdot 10^{10} \\ \hline \end{array}$ |
|  | FWHM size ( $\mu \mathrm{m}^{2}$ ) flux at sample ( $\mathrm{ph} / \mathrm{s}$ ) |  |  | $\begin{aligned} & 1000 \\ & \quad 1.4 \cdot 10^{10} \\ & \hline \end{aligned}$ |


| Gor | rms sagittal <br> slope <br> error <br> $(\mu \mathrm{rad})$ | Rh-toroid $6 \mathrm{keV} \Theta=4.7 \mathrm{mrad}$ | $\begin{gathered} \text { Pt-toroid } \\ 30 \mathrm{keV} \Theta=2.4 \mathrm{mrad} \\ \hline \end{gathered}$ | Pt-toroid $50 \mathrm{keV} \Theta=1.2 \mathrm{mrad}$ |
| :---: | :---: | :---: | :---: | :---: |
|  |  | 1 mm | 1 mm | 8 mm |
|  | $0$ <br> FWHM size $\left(\mu \mathrm{m}^{2}\right)$ | $\begin{aligned} & 207 \times 56 \\ & \hline \end{aligned}$ |  | $63$ |
|  | 500 <br> FWHM size $\left(\mu \mathrm{m}^{2}\right)$ | $\begin{aligned} & 249 \times 59 \\ & 24 \end{aligned}$ |  | $174$ |
|  | $1000$ <br> FWHM size $\left(\mu \mathrm{m}^{2}\right)$ | $\begin{aligned} & 2 \\ & 329 \times 64 \\ & \hline \end{aligned}$ | $\begin{gathered} \text { at } \\ 272 \times 61 \end{gathered}$ | $168$ |
|  | $2500$ <br> FWHM size $\left(\mu \mathrm{m}^{2}\right)$ | $\qquad$ |  | $175$ |
|  | $\begin{aligned} & 5000 \\ & \\ & \quad \text { FWHM size }\left(\mu \mathrm{m}^{2}\right) \end{aligned}$ |  |  | $207$ |

### 5.9 Influence of thermal distortions of collimating mirror on focusing properties

$\square$ The thermal distortions can be corrected by re-bending the mirror. The resulting radius is rather small; pre-shaped cylinder is probably required.

Go Example of thermal deformations from section 4.1 (Si stripe, 1 kW absorbed power, monochromator @ 7 keV ).

| w/o bump | with bump |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $R=7447 \mathrm{~m}$ | 7447 m | 7000 m | 6500 m | 6000 m | 5350 m | 5000 m | 4500 m |
| 1 mm |  |  |  |  |  |  |  |
| $\mathrm{d} E=0.91 \mathrm{eV}$ | 2.10 eV | 1.86 eV | 1.54 eV | 1.13 eV | 0.93 eV | 0.96 eV | 1.09 eV |

The CM with nominal radius $R_{\mathrm{CM}}$ must be re-bent as $1 / R_{\mathrm{CM}}^{\prime}=1 / R_{\mathrm{CM}}+1 / R_{\mathrm{bump}}$ (this is so because the $z$ deformations and all $\mathrm{d}^{n} z / \mathrm{d} y^{n}$ are additive, and $\mathrm{d}^{2} z / \mathrm{d} y^{2}=1 / R$ ). Here the thermal bump has the global radius $R_{\text {bump }}$ as determined from FEA (section 4.1).

Focus size and energy resolution for the 3 stripes (all other imperfections are ignored):


After re-bending:
a) the horizontal size recovers;
b) the vertical size nearly doubles in comparison to the unloaded case;
c) the energy resolution recovers with $\operatorname{Si}(111)$ but not with $\operatorname{Si}(311)$. However, the energy bandwidth 0.72 eV obtained for the Pt-stripe at 18 keV is still much less than the edge widths near this energy: $\sim 3.5 \mathrm{eV}$ for $K$-edges and $\sim 10$ for $L_{3}$-edges.

As the Pt-case is most demanding for smaller thermal bump, the Pt stripe is put closer to one of the cooling sides of the collimating mirror (on the other side is Rh-stripe, Si being in the middle).

### 5.10 Influence of thermal distortions of $1^{\text {st }}$ crystal on focusing

$\square$ The focus distortions are acceptable even in the case of the highest power density and the highest total power. In the latter case the liquid nitrogen temperature (and thus the pressure of it) should be kept as low as possible. If this is technically difficult, the power load must be decreased by opening the wiggler gap, as it was planned at the stage of the wiggler optimization for the highest current 400 mA .

To some extent, the crystal bump can be corrected by the CM.

Examples of thermal deformations from section 4.2. 1 mm

|  | w/o bump | $T_{\text {min }}=77 \mathrm{~K}$ | $T_{\text {min }}=92 \mathrm{~K}$ |
| :---: | :---: | :---: | :---: |
| case B <br> the highest power density <br> ( $2.1 \mathrm{keV}, 282 \mathrm{~W}$ ) <br> focus FWHM ( $\mu \mathrm{m}^{2}$ ) <br> $\mathrm{d} E(\mathrm{eV})$ | $\begin{aligned} & 0.195 \\ & 206 \times 56 \\ & 0 \end{aligned}$ | $\begin{aligned} & 202 \times 64 \\ & 0.195 \end{aligned}$ | $\begin{aligned} & 0.197 \\ & 200 \times 284 \end{aligned}$ |
| case C <br> the highest total power ( $6 \mathrm{keV}, 748 \mathrm{~W}$ ) focus FWHM ( $\mu \mathrm{m}^{2}$ ) $\mathrm{d} E(\mathrm{eV})$ | $206 \times 56$ $0.77$ | $208 \times 407$ |  |

The crystal bump can be to some extent corrected by re-bending the CM. The correct estimation of re-bending requires a self-consistent calculation of "bending radius + footprint on crystal + power load on crystal + ANSYS". The examples below are just rough estimations as they are not self-consistent, i.e. the re-bending was only considered in ray-tracing, without re-calculating the power load and thermal deformations.

|  | w/o bump | $T_{\text {min }}=77 \mathrm{~K}$ | $T_{\text {min }}=92 \mathrm{~K}$ |
| :---: | :---: | :---: | :---: |
| ```case C corrected by CM focus FWHM ( }\mu\mp@subsup{\textrm{m}}{}{2}\mathrm{ ) dE (eV)``` | $\begin{gathered} R_{\mathrm{CM}}=7447 \mathrm{~m} \\ 206 \times 56 \end{gathered}$ | $\begin{gathered} R_{\mathrm{CM}}=6400 \mathrm{~m} \\ 204 \times 92 \end{gathered}$ $0.75$ | $\begin{gathered} R_{\mathrm{CM}}=5200 \mathrm{~m} \\ 201 \times 100 \end{gathered}$ $0.77$ |

### 5.11 Dependence on wiggler position

(i) The length of the straight section is 3.2 m . The magnetic length of the wiggler is 1 m . It can be shifted off center of the straight section by 0.8 m downstream (to the center of the downstream half of the straight section) in order to make the beamline shorter by one half of this movement.
( This movement results in increase of the electron beam rms size from $132 \mathrm{~h} \times 7.4 \mathrm{v} \mu \mathrm{m}^{2}$ to $136 \mathrm{~h} \times 8.9 \mathrm{v} \mu \mathrm{m}^{2}$ and of the focus FWHM size by~ $10 \mathrm{~h} \times 4 \mathrm{v} \mu \mathrm{m}^{2}$. If this shift does not influence the electron beam dynamics, it should be taken.

## 6 Summary of optics layout

### 6.1 Optics scheme


(the distances may increase by up to 1.5 m )

### 6.2 Modes of operation and performance

| Energy range (keV) | Filter ${ }^{*}$ | $\begin{array}{\|c\|c\|} \hline \mathrm{CM} \\ \text { stripe } \end{array}$ | mirror angle (mrad) | $\begin{gathered} \text { DCM } \\ \text { crystals } \end{gathered}$ | FM toroid | beam fwhm $\mathrm{h} \times \mathrm{v}^{* *}$ | flux (ph/s) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2.4-7 | - | Si | 4.7 | Si(111) | Rh | $206 \times 56 \mu \mathrm{~m}^{2}$ | $1 \cdot 10^{13} @ 7 \mathrm{keV}$ |
| 6-15 | $57 \mu \mathrm{~m}$ | Rh | 4.7 | Si(111) | Rh | $208 \times 53 \mu \mathrm{~m}^{2}$ | $1 \cdot 10^{13} @ 9 \mathrm{keV}$ |
| 7-20 | 0.7 mm | Rh | 3.3 | Si(311) | Rh | $8 \times 0.4 \mathrm{~mm}^{2}$ | $1 \cdot 10^{12}$ @ 18 keV |
| 14-20 | 0.7 mm |  |  |  |  |  | $1 \cdot 10^{12} @ 18 \mathrm{keV}$ |
| 18-35 | 1.5 mm | Pt | 2.4 | Si(311) | Pt | $225 \times 56 \mu \mathrm{~m}^{2}$ | $5 \cdot 10^{11} @ 30 \mathrm{keV}$ |
| 30-70 | 3.0 mm | Pt | 1.2 | $\begin{aligned} & \mathrm{Si}(311) \\ & \mathrm{Si}(333) \end{aligned}$ | Pt | $8 \times 0.4 \mathrm{~mm}^{2}$ | $1.4 \cdot 10^{10} @ 50 \mathrm{keV}$ |

${ }^{\text {*) }}$ CVD-diamond
${ }^{* *)}$ without fabrication and thermal induced figure errors

## $7 \quad$ Preliminary considerations for diagnostics

Parameters to monitor:

- position before the collimating mirror. Initially it was planned to do this with thermocouples on the primary slits. Now, these slits have been shifted to the front-end. So that another monitoring capability is needed (4 blade XBPM?)
- position before DCM by guard slits with thermocouples.
- intensity after DMC before FM. Not obligatory but a very useful option to feed the monochromator stabilizator, Mostab, instead of the first ionization chamber. This has two advantages: (i) decoupling of intensity and vertical position (the change in the vertical beam position due to the piezo-adjustment will be up to 0.5 mm near the focus); (ii) the stabilization will not be influenced by the Pt $L$-edges of the focusing mirror coating. It is desirable to have two devices for this: (a) a 4-diod setup with fluorescence foils for low energies and (b) a CVD-diamond plate (as a solid-state ionization chamber) for high energies.
- fluorescence screen ibid (after DMC before FM) after a slit-system.
- fluorescence screen after FM.

In addition, it is planned to have an insertable pinhole array to serve as wave front monitor to control the flatness of the wave front (and thus the energy resolution). The best place for it is with the filters. It will absorb up to 700W, but will be inserted into the beam just for seconds.

## 8 Preliminary considerations for endstation

- Lifting table (range 8 cm );
- Optional harmonics-rejecting mirror-system;
- A large set of reference foils;
- 3 ionization chambers; $\mathrm{N}_{2}, \mathrm{Ar}, \mathrm{Kr}$ gas-lines; HV supply and 3 amplifiers + VFconverters;
- Fluorescence detector (SDD) + MCA's;
- $\mathrm{LN}_{2}$-cryostat;
- LHe-cryostat (+TEY capability);
- "goniometric head" sample holder, high accuracy vertical and lateral translation stages;
- Everything integrable into HV-system; vacuum components;
- Everything easily removable for in-situ setups;
- XMCD extension;
- XES setup; need for space(?);
- Gas connections, gas-bottles cabinets, poison-gas exhaust, sensors, etc.;
- XAFS sample preparation in close proximity to the beamline (glove box, pellet press, fume cupboards, analytical balance etc.).


## References

[1] J. Juanhuix, Internal report AXD-EXBO-DG-0501, Initial XAS beamline optics design.
[2] J. Campmany, Accelerator Division, Internal report AAD-SR-ID-AN-0148.
[3] M. Sanchez del Rio, R. J. Dejus, "XOP: A Multiplatform Graphical User Interface for Synchrotron Radiation Spectral and Optics Calculations" SPIE Proc., 3152 (1997) 148; web page: http://www.esrf.fr/computing/scientific/xop2.1/.
[4] Tomoya Uruga, Hiroaki Kimura, Yoshiki Kohmura, Masanori Kuroda, Hisao Nagasawa, Kiyotaka Ohtomo, Hitoshi Yamaoka, Tetsuya Ishikawa, Tatzuo Ueki, Hitoshi Iwasaki, Shinya Hashimoto, Yasuharu Kashihara, Kazumori Okui, X-ray optics research and development for SPring-8 beamlines, Rev. Sci. Instrum. 66 (1995) 2254-2256.
[5] R. L. Bilsborrow, P. A. Atkinson, N. Bliss, A. J. Dent, B. R. Dobson and P. C. Stephenson, A wide-aperture dynamically focusing sagittal monochromator for X-ray spectroscopy and diffraction, J. Synchrotron Rad. 13 (2006) 54-58.
[6] G. M. Lamble and S. M. Heald, Operation of a dynamically bent sagittally focusing double crystal monochromator for XAFS studies, Rev. Sci. Instrum. 83 (1992) 880-884.
[7] MacDowell, A. A., Celestre, R. S., Howells, M. R., McKinney, W., Krupnick, J., Cambie, D., Domning, E. E, Duarte, R. M., Kelez, N., Plate, D. W., Cork, C. W., Earnest, T. N., Dickert, J., Meigs, G., Ralston, C., Holton, J. M., Alber, T., Berger, J. M., Agard, D. A. \& Padmore, H. A., Suite of three protein crystallography beamlines with single superconducting bend magnet as the source, J. Synchrotron Rad. 11 (2004) 447-455.
[8] MPDB v6.51 - demo, JAHM Software, Inc., http://www.jahm.com.
[9] B. Lai and F. Cerrina, NIM A 246 (1986) 337-341.
[10] S. Pascarelli, T. Neisius and S. De Panfilis, Turbo-XAS: dispersive XAS using sequential acquisition, J. Synchrotron Rad. 6 (1999) 1044-1050.
[11] R. Frahm, Rev. Sci. Instrum. 60 (1989) 2515.
[12] H. Schulte-Schrepping, W. Drube, Properties of a detuned non-dispersive double crystal monochromator, NIM A 467-468 (2001) 396-399.
[13] Patterson et al., NIM A 540 (2005) 42.

